

Energy Absorption Ability of Thin-Walled Square Hollow Section of Low Carbon Sheet Metals under Quasi-Static Axial Compression

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Abstract – *Countless everyday objects are constructed with sheet metal steel like car bodies, airplane wings, medical tables, roof for buildings and many other applications. In this research, loading rate effects have been studied on the low carbon steel sheet metals under Quasi-Static axial compression condition. Metallurgical study was carried out to identify microstructural behavior along with tension, chemical composition and hardness test of the same material. Johnson cook (JC) model has been used to develop a finite element model for the thin walled steel tube. Parameters of JC model have been extracted and validated with the experimental results. Strain gauge rosette is used to determine strain at required locations on the tube structure. Rectangular piece of wood (10mm) was placed inside the tube structure to avoid possible buckling. Finally, axial compression test under quasi-static condition was conducted experimentally to validate the finite element results. Properties obtained from true stress-strain curve was modulus of elasticity $E = 189$ GPa, yield stress and ultimate tensile strength of 220 MPa and 375 MPa, respectively. It transpired from the comparison that the predicted buckling and force levels in FE model were in good agreement with the observed buckling and force levels in the experiments. Copyright © 2016 Penerbit Akademia Baru - All rights reserved*

Keywords: Low carbon steel, Energy absorption, Johnson-Cook model, Axial Compression, Finite element.

1.0 INTRODUCTION

Thin-walled metal tubes with different cross-sections are widely used as energy absorbing structural components in high-volume industrial products such as cars, trains, etc. [1]. Nowadays, large numbers of accidents occur and hence, for the safety of passengers, energy absorber is a necessity [2]. In designing front longitudinal parts of a vehicle, various researches have been carried out with the purpose of obtaining optimum deformation and energy

absorption. These parts are widely adopted as main energy absorbers for crashing protection attributable to their deformation pattern and energy absorption capacity. The energy absorption capabilities of such structures play an important role due to their high efficiency and cost-effectiveness [3].

There has been a lot of research accomplished on the subject of axial compression test of thin-walled tubular to analyze the behavior of the material subjected to a certain loading rate, for instance tapered thin-walled [4] and multi-corner thin-walled [5]. For energy absorption, Seitzberger et al [6] performed experimental analysis on different tubular and filler arrangements to study the crushing behavior of axially compressed tubular elements. The analysis concluded that considerable mass efficiency improvements can be obtained by application of aluminum foam materials in the tubes with different cross sectional shapes of the elements. If improvement by filling is concerned in terms of cross sectional areas then square profiles are preferable to hexagonal and octahedral tubes.

Ahmad and Thambiratnam [7] investigated the same scenario of filling material application in the conical tubes. This study uses the non-linear finite element models to observe the axial crushing and energy absorption response of the foam filled conical tubes under quasi-static axial loading. Important parameters such as wall thickness, semi apical angle and density of filler material were investigated to reveal the benefits of foam filled tubes by enhancing the energy absorption and crush strengths [8]. Beside square tubes, several other cross-section thin-walled structures have been researched as well [9, 10], namely hexagonal tubes [11], pentagonal tubes and triangular tubes [12-14].

In this paper, chemical composition, microstructure, hardness test across the welded region of sheet metal and properties of material were obtained from tensile test, which were then validated using Johnson Cook (JC) material model. Quasi-static axial compression test was conducted using universal testing machine at displacement rate of 5mm/min. With the aid of finite element (FE) simulation and employing accurate constitutive model, deformation of sheet metal structures can be characterized after considering carefully designed aspects, while performing the simulation. The global variables measured during axial compression of thin-walled structures are the axial force and displacement.

2.0 MATERIAL PROPERTIES

Material of thin-walled tubular structure that has been used in this research is low carbon steel (LCS). The chemical compositions of low carbon steel in atomic weight % are shown in table 1.

The high content of Mn, which acts in a three-fold manner, assists in de-oxidation of the steel, preventing the formation of iron sulfide inclusions, and hence, promoting greater strength by increasing the hardenability of the steel [15]. The elements Cu, Cr and Ni contribute to corrosion resistance of the steel, particularly at high temperature.

Microstructure study was performed to identify any preferred alignment of the grains in the steel sheets. Proper specimen processing included sectioning and cutting, mounting, grinding, polishing, etching, microscopic analysis and hardness testing. Three (3) samples were sectioned and cut properly having size 15 mm x 15 mm per length to ensure the specimen is less than the size of mounting which has typical dimension of 30 mm diameter. Microstructure

analysis through the microscope resulted on the plane surface, including welded region of low carbon steel which contains ferrite and small amount of pearlite [16] as shown in Figure 1.

Table 1: Chemical Composition of Selected Low Carbon Steel (LCS) material [15]

| Element | Composition (wt%) |
|----------------|-------------------|
| Manganese (Mn) | 0.181 |
| Aluminum (Al) | 0.023 |
| Chromium (Cr) | 0.036 |
| Carbon (C) | 0.075 |
| Nickel (Ni) | 0.032 |
| Sulphur (S) | 0.007 |
| Copper (Cu) | 0.082 |
| Silicon (Si) | 0.014 |
| Phosphorus (P) | 0.009 |
| Titanium (Ti) | 0.002 |
| Iron (Fe) | 99.539 |

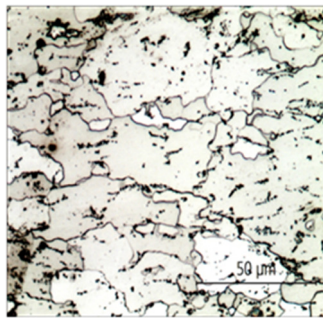


Figure 1 Microstructure of low carbon steel [17].

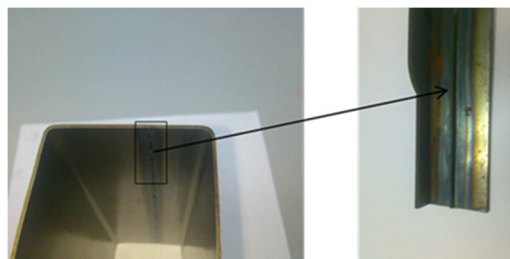


Figure 2 (a) Welded region of specimen.

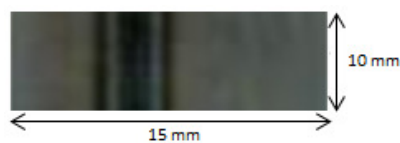


Figure 2 (b) Size of specimen for hardness test.

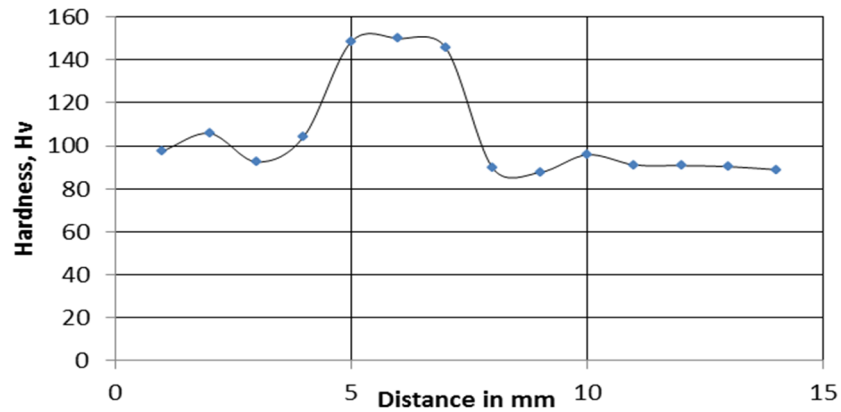


Figure 2 (c) Hardness test of LCS sheet across the welded region.

Welding is a very important process in manufacturing industries. Below figure 2 (a) and 2 (b) shows welded region of specimen and size of specimen for hardness test, while, figure 2 (c) shows hardness test of low carbon steel sheet across the welded region.

The Vickers hardness test was performed on 3 specimens by applying 20kg load on each specimen. The arrangement of the sample and the machine is shown below in figure 3. The value of hardness increases at welded region and reaching a maximum value of about 150.0 Hv in all the specimens. These hardness increments were summarized to be the result of heat treatment, due to high thermal conductivity and low resistivity of the materials [18].

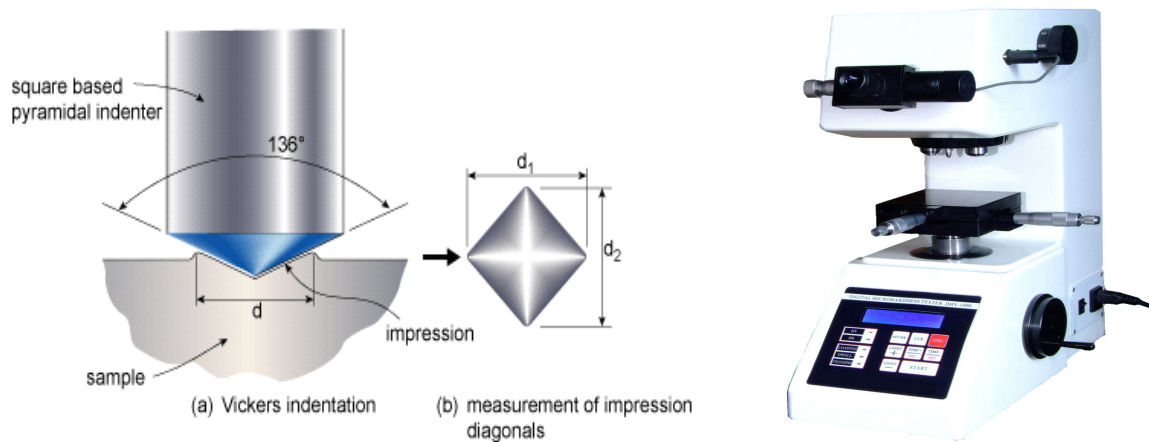


Figure 3 Illustration of the Vickers Hardness Tester and the sample arrangement

2.1 Tensile Test

A tension test on the steel coupon is performed at room temperature using INSTRON 8801 servo-hydraulic testing machine. Test conducted at strain rate of 0.001/s. The engineering stress-strain curve does not give a true indication of the deformation characteristics, because it is based on the original dimensions of the specimen, and these dimensions change continuously during the test. The true stress strain values were obtained using the following equations from the literature.

$$\sigma = \sigma(1 + e) \quad (1)$$

$$\text{and } \varepsilon = \ln(1 + e) \quad (2)$$

where

- σ is true stress
- ε is true strain
- σ is engineering stress
- e is engineering strain

Figure 4 compares the true stress-strain curve with its corresponding engineering stress-strain curve.

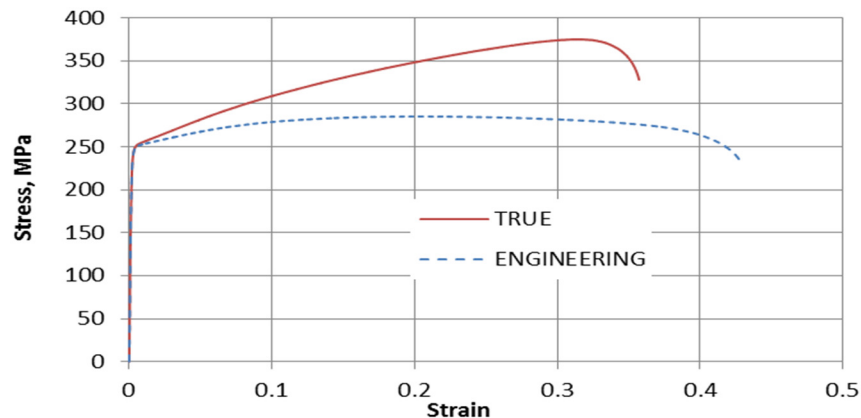


Figure 4 Stress vs. Strain of low carbon steel.

Note that, because of relatively large plastic strain, the elastic region has been compressed into the stress region in y-axis. The true stress-strain curve is always to the left of the engineering curve until the maximum load is reached. However, beyond maximum load, the high localized strains in the necked region far exceed the engineering strain and the flow curve is linear.

Properties obtained from true stress-strain curve, such as, modulus of elasticity $E = 189$ GPa, yield stress (σ_y) and ultimate tensile strength (σ_u) are 220 and 375 MPa, respectively.

2.2 Johnson-Cook Model Parameters

Extraction of the Johnson-Cook (JC) parameters has been performed, values of these parameters shown in Table 2.

Parameter A is the yield stress from the true stress-strain curve. Parameter B and n are obtained from the curve fit by using the equation 3 below. The value of parameter C was obtained from the slope of the linear fitting as shown from equation 4. The constant m is represented as the coefficient of thermal softening exponent. However, parameter m is obtained from the previous research due to limited data of stress-strain curves at different temperature [19-23].

Extraction of JC model parameters

- a) Determination of A , B , and n :

$$\ln(\sigma - A) = \ln(B) + n \ln(\varepsilon) \quad (3)$$

b) Determination of C:

$$\frac{\sigma}{(A + B\varepsilon^n)} = 1 + C \ln \dot{\varepsilon}^* \quad (4)$$

c) Determination of m

$$\ln\left(\frac{\sigma}{(A+B\varepsilon^n)(1+C \ln \dot{\varepsilon}^*)}\right) = m \ln(1 - T^*) \quad (5)$$

Table 2 Parameter values for JC model.

| Description | Parameters | |
|---------------------------------------|-----------------------|--------|
| Yield stress, σ_y (MPa) | A | 220 |
| Coefficient of strain hardening (MPa) | B | 309.3 |
| Coefficient of strain rate hardening | C | 0.022 |
| Strain hardening exponent | n | 0.4795 |
| Thermal softening exponent | m | 0.3 |
| Strain rate (/s) | $\dot{\varepsilon}_0$ | 0.001 |
| Melting point (K) | T_m | 1600 |
| Density (kg/m ³) | ρ | 7800 |

2.3 Validation Test Data

In Figure 5 performance of the JC model is illustrated and compared with measured data, in terms of true stress-plastic strain curves at selected strain rate of 0.001/s. The close comparison of the curves proves the validation of the produced JC constitutive model, for low carbon steel.

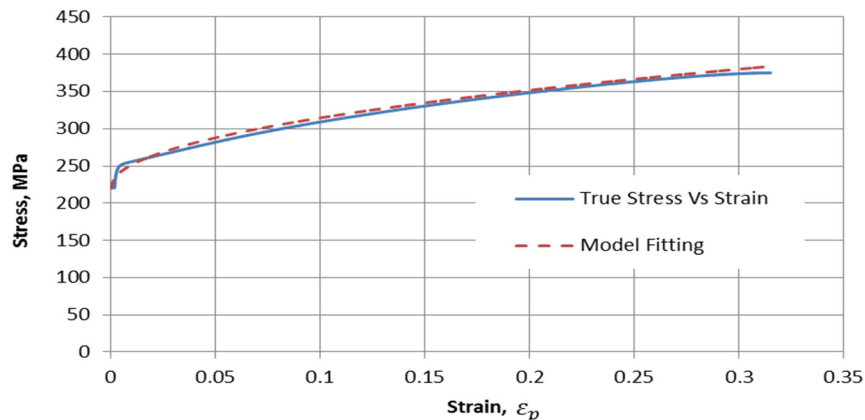


Figure 5 Comparison of experiment and model fitting.

3.0 AXIAL COMPRESSION TEST SETUP

The experimental study based on quasi-static axial compression test on thin-walled tube was conducted on a single specimen using universal testing machine at displacement rate of 5 mm/min. The geometry of the square hollow section (SHS) is measured 50 x 50 x 150 mm³ with a thickness of 1.2 mm, as illustrated in Figure 6.

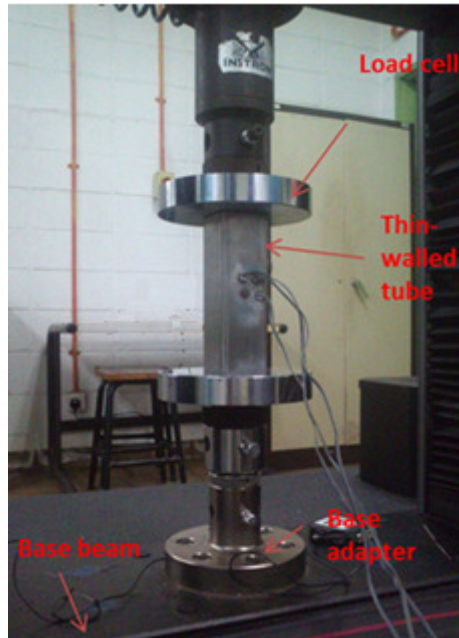


Figure 6 Axial compression test setup of thin-walled tube

It is important to ensure that the edges of the thin-walled are precisely square and perpendicular to the compression plate. At the top and bottom ends of the thin-walled tube, wooden boxes with 10 mm height are attached inside. Strain gage rosettes, shown in Figure 7, are used often in engineering practice to determine strain states at specific points on a structure.

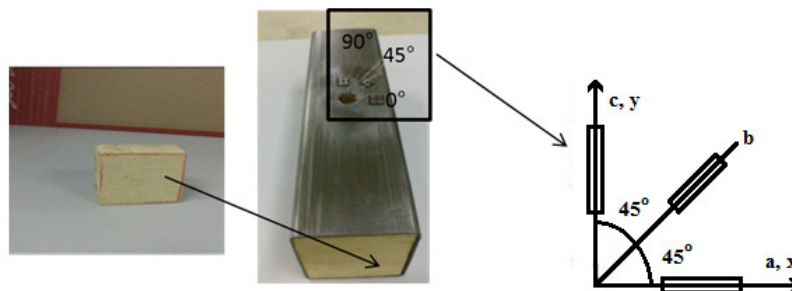


Figure 7 Strain gage rosette and thin-walled tube with 10mm wooden boxes at edges.

Three strain values will be determined from strain gauge and from that strain values, in-plane principal strain will be calculated by the following equation (6).

$$\epsilon_p = \frac{1}{2} \cdot (\epsilon_a + \epsilon_c) + \frac{1}{\sqrt{2}} \cdot \sqrt{(\epsilon_a - \epsilon_b)^2 + (\epsilon_b - \epsilon_c)^2} \quad (1) \quad (6)$$

3.1 Experimental Results

The compressive load-displacement results obtain from this test as shown in Figure 8.

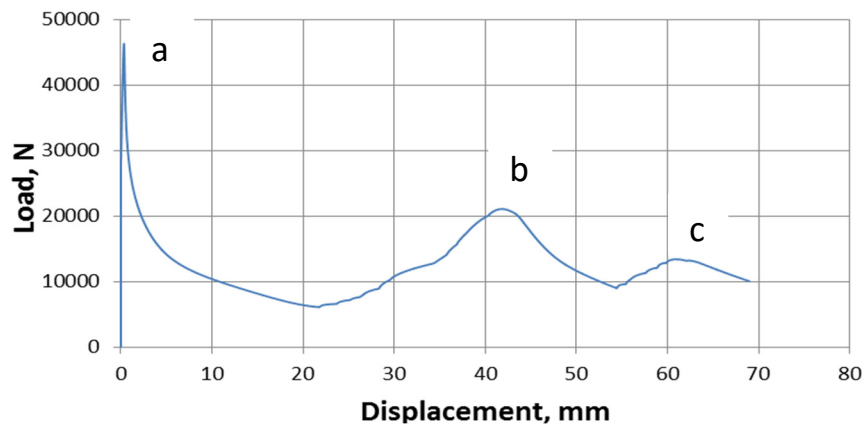


Figure 8 Compressive Load displacement curve of Square Hollow Section (SHS)

The curve shows that, three peaks occur. These peaks indicate three buckling occur under compression load. First peak (a) occur suddenly at 45 KN load when displacement is 2mm, because load has been applied from the top rigid body. Load decreases 21KN at second peak (b) and third peak (c) occur very short period of time after the second peak. Area under the curve shows energy absorption.

3.1.1 Instrumented (Rosette)

As a result, strain-displacement curves have been plotted as shown in Figure 9

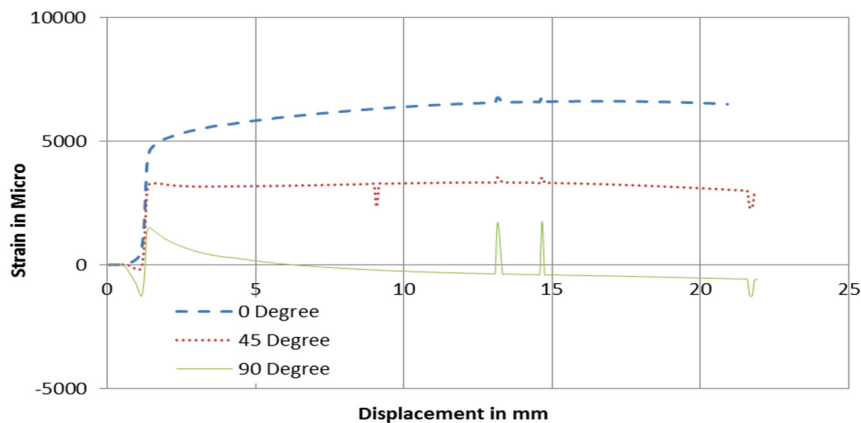


Figure 9 Strain vs. Displacement curve.

Three strain values are recorded at each load increment. There is no effect on the strain gauge at 1mm because load is applied from the top of the specimen.

4.0 FINITE ELEMENT SIMULATION

4.1 Geometry

An axial compression test of the steel tube is simulated using FE method. The geometry of the square hollow section, measuring 50 x 50 x 130 mm with thickness 1.2mm, is illustrated in Figure 10.

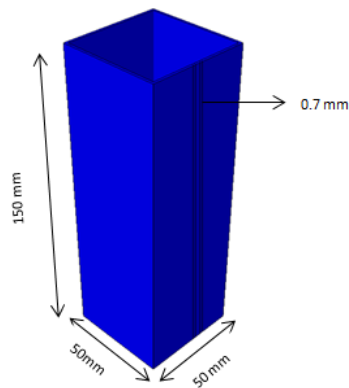


Figure 10 Geometry of the thin-walled tube

4.2 Mesh, Boundary Condition and Loading

Figure 11 shows that, the bottom end of thin-walled tube is fixed; do not move in any direction. At the fixed end, the displacement of x-axis, y-axis, z-axis and rotation in all three axis are restrained to be zero resulting in values as shown below:

$$U_1=U_2=U_3=UR_1=UR_2=UR_3=0 \quad (7)$$

While the second boundary condition applied on the top rigid body in which the displacement across x-axis, z-axis and rotation in all three axis are zero as well

$$U_1=U_3=UR_1=UR_2=UR_3=0. \quad (8)$$

Constant displacement rate at 5mm/min i.e. equivalent to the quasi-static rate is assigned at the top of rigid body in negative y-axis, so that the thin-walled tube will move only in negative y direction.

4.3 Mesh Convergence Study

In finite element modeling, a finer mesh typically results in a more accurate solution. However, as a mesh is made finer, the computation time increases. The model assembly was discretized uniformly throughout the tube using 89900 8-node hexahedral continuum elements. As shown in Figure 13, each figure has different mesh size and different no. of element and different no. of nodes.

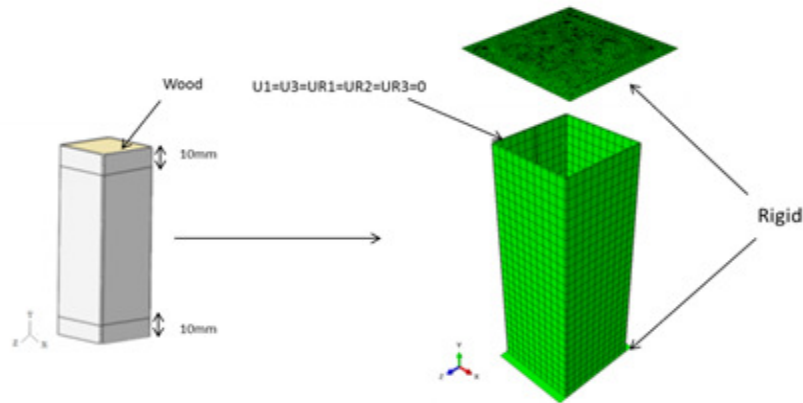


Figure 11 Mesh, boundary condition and loading.

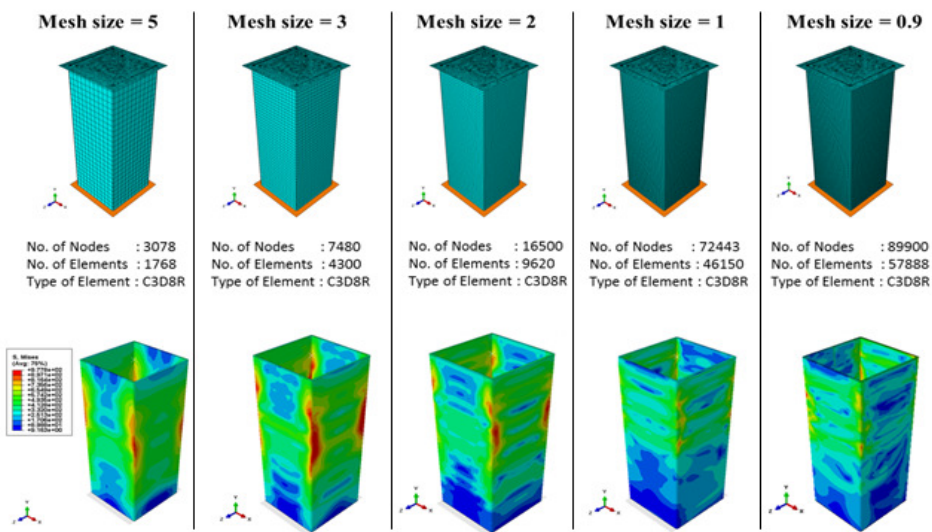


Figure 13 Variation of Von Mises stress field with mesh size.

4.4 Validation of Results

The compressive load-displacement results obtained from this test has been validated with the FE results as shown in Figure 14.

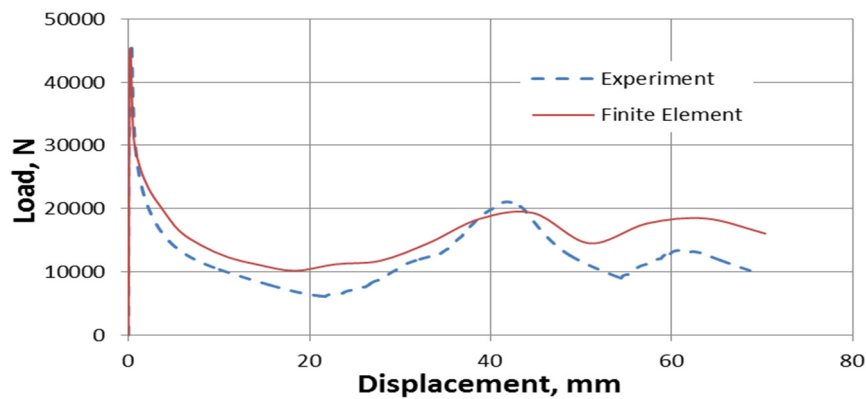


Figure 14 Comparison of results.

The same three buckling occur in FE simulation. First buckle occurs suddenly as same as experimental result. However, the predicted value after the first peak of the response of compressive load is 10 percent higher than the measured value. The unsymmetrical behavior occurred due to the thin-walled tube is not a perfect 90°, twisted with 2°.

Figure 15 shows, validation of experimental and simulation principle strain.

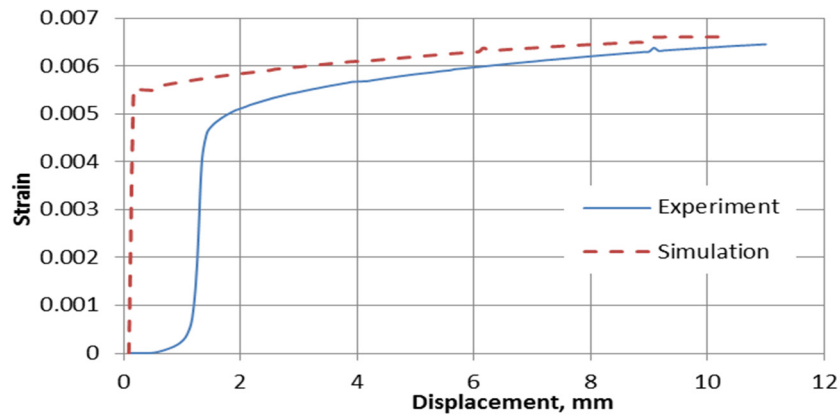


Figure 15 Principle Strain vs. Displacement curve.

Experimental principle strain was calculated from equation (f). Strain gauge rosette was inserted at the center of the specimen; similarly, in simulation principle strain was taken at node 41270 which is approximately center of the model.

Energy absorption calculated from experiment data by using trapezoidal method is 409.6 KJ and energy absorption calculated from finite element simulation is 458 KJ as shown in Figure 16.

Figure 17 shows, thin-walled tube under compression loading where three buckling occur till 70 mm distance at displacement rate of 5mm/min.

Figure 18 shows the von mises stress and equivalent plastic strain of thin-walled tube. Equivalent plastic strain gives a measure of the amount of permanent strain. The maximum von mises stress and maximum equivalent plastic strain is shown at the third peak.

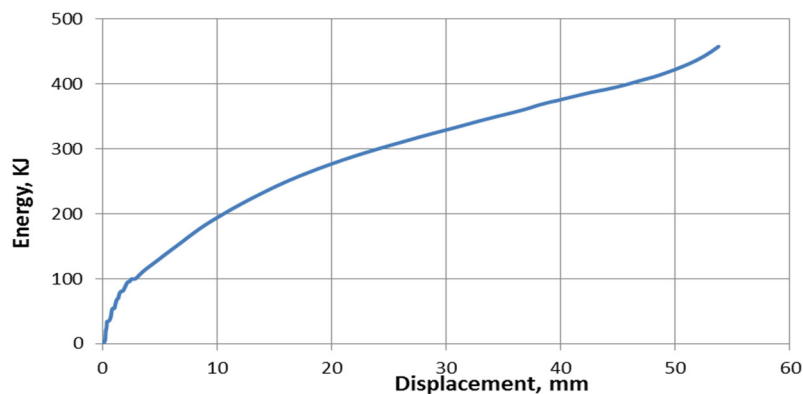


Figure 16 Energy absorption from finite element simulation.

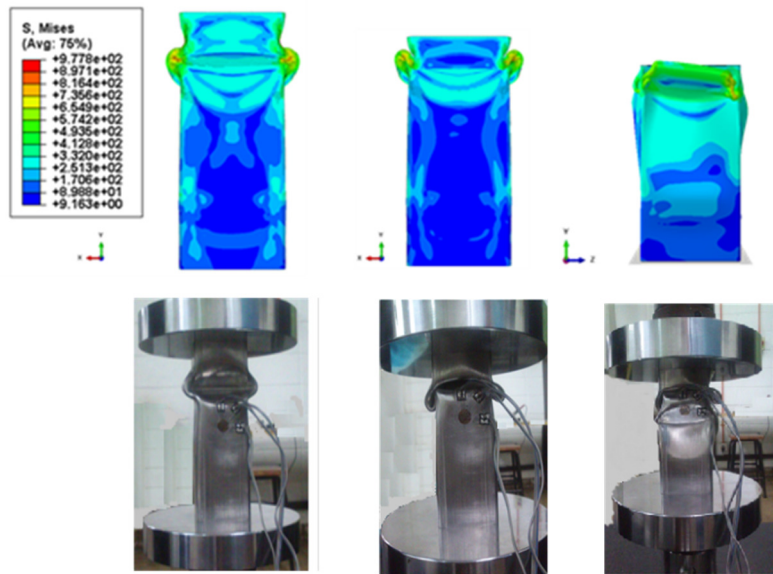


Figure 17 Thin-walled tube under compression loading.

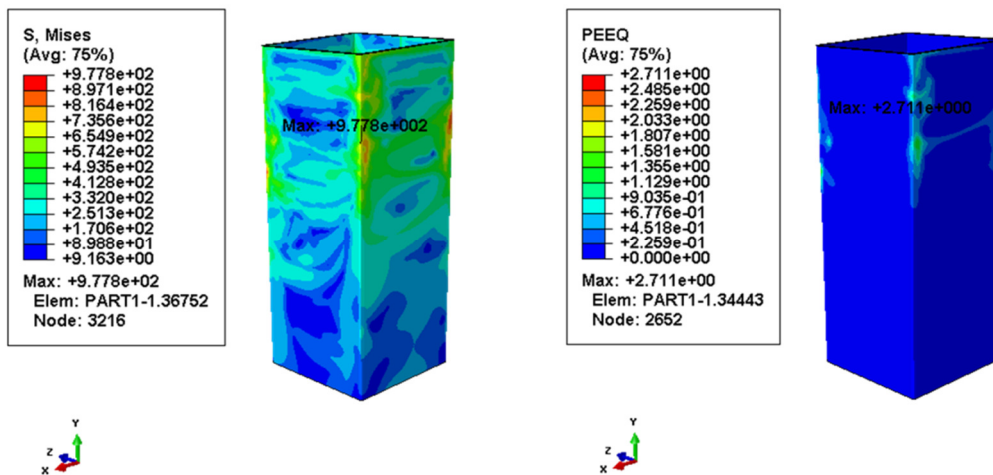


Figure 18 Maximum stress and PEEQ

5.0 CONCLUSION

Johnson cook model has been used and parameters of JC model has been extracted and validated with the experimental results. In the axial compression test on thin-walled tube, experimental results and FEM modeling has been compared and validated successfully. In compressive load-displacement experiment, the unsymmetrical behavior occurred due to the thin-walled tube is not a perfect 90°, twisted with 2°. Energy absorption calculated from experiment data by using trapezoidal method is 409.6 KJ and energy absorption from FEM is 458 KJ.

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